



Universal Mass-Energy Equivalence through Variable Radiation Velocity

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Abstract

This paper presents a generalization of the mass-energy equivalence principle, traditionally expressed as $E=mc^2$ by introducing a variable radiation velocity R . This generalization extends the applicability of mass-energy equivalence beyond the confines of electromagnetic radiation and the speed of light c , allowing it to apply universally to any form of matter, including dark matter and exotic particles. The formula accounts for the possibility of varying radiation velocities for different types of matter and suggests new pathways for understanding energy conversion, cosmological dynamics, and fundamental physics. The implications of this formula extend into areas such as cosmology, particle physics, and energy technology, offering a new framework for interpreting energy-mass relationships across different forms of matter.

Keywords: *Cosmology; Particle physics; Energy technology*

Introduction

The mass-energy equivalence principle, first formalized by Einstein in the equation $E=mc^2$, describes the relationship between a particle's rest mass and its energy, assuming that the energy is emitted or absorbed at the speed of light. This principle has been foundational in our understanding of modern physics, particularly in the realms of quantum mechanics, particle physics, and cosmology.

However, this equation inherently assumes that radiation propagates at the speed of light, limiting its application to systems where electromagnetic radiation governs the energy transfer. This paper introduces a more generalized form of the mass-energy equivalence, where the radiation velocity R is a variable that can differ based on the type of matter in question [1]. The generalized formula applies to any form of matter, whether it interacts *via* electromagnetic radiation, dark matter radiation, or yet undiscovered forms of interaction.

Description

Theoretical framework

Einstein's mass-energy equivalence: Einstein's original equation $E=mc^2$ assumes that energy E is released at the speed of light c . While this is a remarkable result for normal matter, it may not hold in all contexts, particularly in cases where other forms of radiation dominate the interaction. For instance, dark matter, which does not interact electromagnetically, might not follow this constraint.

Generalization to radiation velocity R: The proposed generalization introduces a variable radiation velocity R, resulting in the equation:

$$E=mR^2$$

Here, R represents the characteristic radiation velocity of a given type of matter. For normal matter, $R=c$ and the equation reduces to the classical form. However, for dark matter or exotic particles, R could differ from c, allowing for new interpretations of the energy-mass relationship [2]. This broader interpretation opens up possibilities for various forms of matter and their corresponding radiation velocities.

Implications of the generalized formula

Universal mass-energy equivalence: The formula $E=mR^2$ suggests that mass-energy equivalence applies to all forms of matter, regardless of how that matter radiates energy. This universality transcends the traditional $E=mc^2$, making the relationship applicable to both visible and dark sectors of the universe. This extension allows for new interpretations of systems involving non-electromagnetic radiation.

Variable energy outputs for different types of matter: One key implication of the generalized equation is that energy outputs depend on the specific radiation velocity R associated with the type of matter. For example:

- Normal matter radiates energy at the speed of light c and its energy output is given by $E=mc^2$
- Dark matter, which may radiate energy *via* some unknown mechanism at a different velocity R_{dark} , would release energy according to $E=mR_{\text{dark}}^2$.

This implies that the energy-mass conversion process differs for each type of matter, potentially leading to new experimental approaches to measure these interactions.

Cosmological implications: In cosmology, the equation has potential applications for understanding the energy dynamics of dark matter and dark energy. If dark matter radiates energy at a velocity different from the speed of light, it may influence large-scale structure formation in the universe. Furthermore, understanding the variable radiation velocities of different forms of matter could refine models of cosmic expansion and evolution [3].

Application to dark matter

Dark matter radiation velocity: Dark matter, which does not interact with electromagnetic radiation, has eluded direct detection. The generalization of $E=mc^2$ to $E=mR^2$ suggests that dark matter has its own characteristic radiation velocity R_{dark} , which could be different from the speed of light. This opens up the possibility of detecting dark matter through its energy interactions based on its unique radiation velocity.

Energy storage and conversion: The equation $E=mR^2$ suggests that the energy stored in dark matter might be different from what we currently expect, potentially leading to new methods of energy detection and utilization. If dark matter releases energy at a different radiation velocity, it may be possible to harness this energy in ways that differ from conventional nuclear or electromagnetic energy sources.

Black hole radiation: The equation $E=mR^2$ offers a powerful tool for analyzing black hole radiation and dark matter, especially when considering phenomena involving velocities greater than the speed of light. It allows for the possibility that black holes radiate energy in forms we cannot currently detect, potentially linking them to dark matter [4,5]. The equation's flexibility in accommodating various radiation velocities makes it particularly useful in exploring both superluminal radiation and the unknown properties of dark matter and black holes. This approach could expand our understanding of the universe's hidden energy and mass components.

Experimental and theoretical considerations

Experimental verification: Verifying the generalized equation will require new experimental approaches. These experiments could involve attempting to measure the energy outputs of different types of matter, including dark matter or other exotic particles. Measuring deviations from $E=mc^2$ would be a significant indicator of new physics.

Challenges and future directions: The primary challenge lies in determining the radiation velocity R for different forms of matter, particularly for dark matter and exotic particles. Future theoretical work could focus on developing models for predicting R in various contexts, while experimentalists could search for evidence of energy-mass relationships governed by non-electromagnetic radiation velocities [6].

Conclusion

The formula $E=mR^2$ generalizes Einstein's mass-energy equivalence to account for the varying radiation velocities of different forms of matter. This universal equation suggests that the energy released by a given mass is contingent on its specific radiation velocity, opening the door to new physical phenomena, particularly in the realms of dark matter and cosmology. Further research is needed to explore the theoretical and experimental ramifications of this equation, particularly with regard to detecting new forms of radiation and understanding the energy dynamics of dark matter.

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