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Public sports service contents analysis-based and multilayer fuzzy comprehensive evaluation application

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Abstract

With the deepening of reform and opening up, all walks of life is running stable and orderly, but it lacks of emphasis on public sports, establish a set of completely public sports service comprehensive evaluation system is particularly important. The paper just along this direction, by establishing multilayer fuzzy evaluation method, applies mathematical statistics, analytic hierarchy process, questionnaire survey, component analysis and other methods to go deep into research, and refer to maximum membership corresponding principles. Research table concludes that a Chinese public sport service basically belongs to satisfied state, but it still has many problems that need us to constantly improve them.

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INTRODUCTION

For public service aspect researches, lots of people have made efforts, such as: Qin Xiao-Ping proposed that so as to improve sports service equalization, no matter in village or in city, every citizen could get government supplied public sports service resources' sports public product that needed every citizen in society to make joint efforts; in the aspect of government function, Liu Yu thought that public sports service was that government provided broad masses with different, basic standards and on the premise that provided maximum equal sports public service indicators for them.

On this basis, the paper proceeds with more deep research, uses multilayer fuzzy comprehensive evaluation method to evaluate government public sports service qualities, meanwhile it proposes constructive opin-

KEYWORDS

Public sports service; Maximum membership; Multilayer model; Fuzzy evaluation.

ions, which provides theoretical premises for improving public sports service quality.

MULTILAYER FUZZY COMPREHENSIVE EVALUATION MODELS

Model establishments

The model principle is utilizing linear transformation method and combining with maximum membership, carrying out comprehensive consideration and research on the premise that considers multiple factors, realizing relative reasonable evaluation effects, so using fuzzy mathematics to do comprehensive evaluation, the method and steps are as following:

At first it should define evaluated object, it is up to x pieces of factors to effect on individual variable, and

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its factor set is β that first grade evaluation indicator is defined as:

$$\boldsymbol{\beta} = \left(\boldsymbol{\beta}_i, \boldsymbol{\beta}_i, \boldsymbol{\beta}_i, \cdots, \boldsymbol{\beta}_j \right) \tag{1}$$

Then, corresponding second grade evaluation indicator is:

$$\left\{ \boldsymbol{\beta}^{1}, \ \boldsymbol{\beta}^{2}, \ \boldsymbol{\beta}^{3}, \ \cdots, \boldsymbol{\beta}^{n} \right\}$$
(2)

And three grade evaluation indicators are:

$$\left\{ \beta^{1}1,\beta^{2}2,\beta^{3}3,\cdots\beta^{n}j\right\}$$
(3)

And stipulate: $\{\beta^n j | n = 1, 2, 3, \dots m; j = 1, 2, 3, \dots i\}$

Due to each variable weight is different, impact is also different to defined judgment grade, assume its evaluation set is:

 $b_i = (b_1, b_2, b_3, b_4, b_5)$

Among them, $b_i (i = 1, 2, 3, \dots, y)$

Above weight, according to common sense we are

clear that $b_i \ge 0$ and $\sum_{i=1}^{y} b_i = 1$

If every factor b_i includes n pieces of sub factors, its factor set is:

$$\beta_{j} = (\beta_{j,1}, \beta_{j,2}, \beta_{j,3}, \cdots \beta_{j,n})$$
(5)
Then corresponding weight is:

Then corresponding weight is:

$$\mathbf{b}_{i} = (\mathbf{b}_{i,1}, \mathbf{b}_{i,2}, \mathbf{b}_{i,3}, \cdots \mathbf{b}_{i,n})$$
 (6)

To $\beta_{i,j}$ weight b_i , according to common sense, it is

clear that $b_{i,i} \ge 0$ and:

$$\sum_{j=1}^{n} b_{i,j} = 1$$
(7)

According to above formula, its first grade weight is100%, and second grade indicator is:

$$b_i = (b^1, b^2, b^3, \dots b^n)$$
 (8)

And corresponding three grade weight set is:

$$b_{i} = (b_{1}^{1}, b_{1}^{2}, b_{1}^{3}, b_{1}^{4}, b_{2}^{1}, \cdots, b_{n}^{j})$$
(9)

Regarding evaluation membership vector set, we let it to be:

$$\mathbf{k}^{n} \mathbf{j} = \left\{ \mathbf{k}^{n} \mathbf{j} \mathbf{1}, \mathbf{k}^{n} \mathbf{j} \mathbf{2}, \mathbf{k}^{n} \mathbf{j} \mathbf{3}, \mathbf{k}^{n} \mathbf{j} \mathbf{4}, \mathbf{k}^{n} \mathbf{j} \mathbf{5} \right\}$$
(10)

So corresponding membership relative matrix is:

$$\mathbf{k} = \begin{bmatrix} \mathbf{k}^{1} \\ \mathbf{k}^{2} \\ \mathbf{k}^{3} \\ \vdots \\ \mathbf{k}^{n} \end{bmatrix} = \begin{bmatrix} \mathbf{k}^{1}\mathbf{11} & \mathbf{k}^{1}\mathbf{12} & \mathbf{k}^{1}\mathbf{13} & \mathbf{k}^{1}\mathbf{14} & \mathbf{k}^{1}\mathbf{15} \\ \mathbf{k}^{2}\mathbf{21} & \mathbf{k}^{2}\mathbf{22} & \mathbf{k}^{2}\mathbf{23} & \mathbf{k}^{2}\mathbf{24} & \mathbf{k}^{2}\mathbf{25} \\ \mathbf{k}^{3}\mathbf{31} & \mathbf{k}^{3}\mathbf{32} & \mathbf{k}^{3}\mathbf{33} & \mathbf{k}^{3}\mathbf{34} & \mathbf{k}^{3}\mathbf{35} \\ \vdots & \vdots & \vdots & \vdots & \vdots \\ \mathbf{k}^{n}\mathbf{j1} & \mathbf{k}^{n}\mathbf{j2} & \mathbf{k}^{n}\mathbf{j3} & \mathbf{k}^{n}\mathbf{j4} & \mathbf{k}^{n}\mathbf{j5} \end{bmatrix}$$
(11)

By integrating above process, it gets its first grade evaluation result is:

$$k^{n} = H^{n} \cdot \left(k^{n} j1, k^{n} j2, k^{n} j3, k^{n} j4, k^{n} j5\right)$$

So second evaluation result is:

 $k = H \cdot \left(k^1, k^2, k^3, \dots k^n\right)$

Make normalization processing with above process, its principle is as following:

In order to more clearly and reasonable define multilayer fuzzy evaluation indicators' mutual relations, the paper adopts analytic hierarchy process method (AHP), so it can apply the method to arrange above multilayer indicators, and use technical indicators utility and popularity to make further analysis.

Analytic hierarchy process theoretical model

Any one system requires using a great deal of information as basis to make correlation analysis, the *AHP* is making comparison and judgment of any one layer indicators' weights and using numerical values to represent and so it can form into corresponding judgment matrix, from which maximum feature value is de-

fined as λ_{MAX} to calculate correlation feature vector and feature value, if define *g* as weight allocation values, then for feature vector, we can define it as:

$$\mathbf{k} = \left(\mathbf{k}_1, \mathbf{k}_2, \cdots \mathbf{k}_n\right) \tag{12}$$

In order to judge whether the model evaluation weight judgment matrix is disordered or not, make consistency test on the model, its corresponding ratio formulais:

$$C \cdot R = \frac{C \cdot I}{R \cdot I} \tag{13}$$

$$C \cdot I = \frac{\lambda_{MAX} - n}{n - 1} \quad (n > 1) \tag{14}$$

In above formula, $I \cdot R$ value is as following Table 1 show:

When value of matrix orders go beyond three, meanwhile it has $C \cdot R < 0.1$, then it can be thought it is

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acceptable, otherwise it continues to make corresponding adjustment till it can be acceptable. With TABLE 2 analysis.

Number of ma	trix orders	1	2	3	4	5	6	7	8	9	10
$R \cdot I$		0	0	0.58	0.9	1.12	1.26	1.36	1.41	1.46	1.49
	TABLE 2 : 1~9 scale table										
Scale a_{ij}						Definiti	on				
1	factor i and	factor i and factor j have equal importance									
3	factor i is sl	factor i is slightly more important than factor j									
5	factor i is relative more important than factor j										
7	factor i is very important than factor j										
9	factor i is al	osolute	ly ver	y importan	it than fa	ctor j					
2 ,4 ,6 ,8 ,	2,4,6,8, Indicates middle state corresponding scale value of above judgments										
Reciprocal	If compare	factor i	with	factor j, it	gets judg	gment valı	ie as b_{ii}	$=1/b_{ii}, b_{ii}$	$p_{ii} = 1$		

TABLE 1: Random	consistency	indicator
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Refer to Figure 1, it is 1~9 scale graph.





In above TABLE 2, 1-9 Values ratio selection requires to compare in two compared things between approximate order of magnitudes so that can have higher accuracy.

After normalizing above model, it can get compre-

hensive evaluation result F is: $F = k \cdot h$, in formula, h represents evaluation grades' assigned values.

MULTILAYER EVALUATION MODEL INDI-CATORS SELECTION AND VALUES AS-SIGNING

Assign values to indicators

Establish public sports indicator service evaluation indicator system; carry out selection according to the basic principle as complying with independence and operability, select eight main items and twenty-five small items according to established public sports service system, in order to more clearly present distinction of

, D	E	F	G	Η	Ι	Weight
1/3	2	3	1/4	2	3	0.056
1/4	1/2	2	1/3	1/2	2	0.118
1/6	1/4	1/2	1/5	1/3	1/3	0.037
5 2	5	5	3	3	5	0.126
1/4	1/2	2	1/3	1/2	2	0.008
1/6	1/4	1/2	1/5	1/3	1/3	0.41
3 1/3	1	3	2	2	3	0.064
2 1/3	2	3	1/2	2	3	0.184
- - -	1/3 1/4 1/6 2 1/4 1/6 1/3 1/3	$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	$\begin{array}{cccccccccccccccccccccccccccccccccccc$	$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	$\begin{array}{c ccccccccccccccccccccccccccccccccccc$

TABLE 3 : First grade indicator weight vector



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good or bad, assign weight on the numbers from one to nine, from which even number represents importance between cardinal numbers, and cardinal numbers are successively defined from big to small as absolute important, obvious important, considerable important, slightly important and equal important, after that, integrate every column, and then integrate the column corresponding line, get its weights after calculation as following show: among them first grade indicators is TABLE 3:

Then, corresponding second grade indicator is TABLE 4:

Consistency test

According to random consistency indicators, cal-

culate and then can get transfer table maximum feature value is $\lambda_{max} = 8.158$, then corresponding consistency index is CI = 0.0226, so it further can get development rate CR = 0.016 < 0.1, the matrix is reasonable. By that analogy, respectively verify above second grade indicators and can get that all matrixes have unified consistency. Therefore, it proved the weight is reasonable.

Investigation and statistics

In order to more accurate make reasonable analysis and evaluation on public sports service construction, the paper selects multiple sites to make investigation on many people, and it is a kind of random way in whole process, its result is as following TABLE 5 show:

Second grade indicator	Α	B	С	D	Е	F	权重
Sports public service relative policies appropriated funds	1/3	2	1/4	D	Ľ	•	0 247
Sports fiscal appropriation	2	3	1/3				0.114
Quantity of sports public service relative policies documents	3	4	2				0.651
Sports public undertakings fiscal appropriation proportion occupies total	5		-				0.001
appropriation	3	2	1/3				0.45
Per capita public service fiscal input ratio	1/3	1/2	1				0.154
Per capita sports public facilities input ratio		2	2				0.124
Number of possessed sports instructors per ten thousand people		2	2				0.234
The public achieved service average distance	2	1/5	1/3				0.124
Quantity ratio of possessed public service per ten thousand people	2	1/3	1				0.234
Amount of possessed public service activities facilities per ten thousand							0.500
people	4	2	2				0.598
Public sports site area ratio per ten thousand people	3	1	2	4	2	1	0.223
Public sections' regulation system perfection degree	3	2	1/3	3	1/3	2	0.156
Sports public section fiscal management degree	2	1/3	1/5	1/3	1/5	1/3	0.076
Sports public service morality and professional levels	3	2	1/3	3	1/3	2	0.156
Public fitness and health monitoring popularizing rate	3	1	2	4	2	1	0.223
Public fitness and health monitoring frequency ratio	3	1/3	1/2	2	1/2	1/3	0.089
Public fitness and health monitoring times rate	2	3	5				0.567
Public large-scale sports competitions watching ratio	1/3	1/2	1				0.145
Public residents amateur sports competitions organizing frequency ratio	1/3	2	3				0.36
Public sports activities participating frequency ratio	1/2	3	2				0.256
Community sports instructors satisfaction degree on working income	2	5	4				0.159
Community site facilities satisfaction degree	1/4	2	1/2				0.302
Community administrative staff ability satisfaction degree	6	4	2				0.526
Community satisfaction degree on service price	3	2	1/2				0.302
Public physical health pass percentage ratio	2	1/3	1/4				0.145
Public sports population size annual growth rate ratio	2	1/4	1/3				0.6
Public health care knowledge information awareness rate ratio	3	1/3	2				0.6

TABLE 4 : Second grade indicator weight vector



TABLE 5:	Random evalua	ation investiga	tion result
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	Extremely		Basically	Relative	Very
Evaluation objects	dissatisfied	Dissatisfied	satisfied	satisfied	satisfied
Sports public service relative policies appropriated funds	0.18	0.05	0.21	0.07	0.34
Sports fiscal appropriation	0.14	0.06	0.18	0.26	0.29
Quantity of sports public service relative policies documents	0.06	0.18	0.28	0.24	0.29
Sports public undertakings fiscal appropriation proportion	0.07	0.16	0.14	0.14	0.24
occupies total appropriation	0.07	0.10	0.14	0.14	0.34
Per capita public service fiscal input ratio	0.18	0.15	0.14	0.17	0.34
Per capita sports public facilities input ratio	0.14	0.22	0.28	0.18	0.12
Number of possessed sports instructors per ten thousand	0.10	0.22	0.22	0.19	0.12
people	0.19	0.22	0.32	0.18	0.12
The public achieved service average distance	0.13	0.26	0.28	0.22	0.16
Quantity ratio of possessed public service per ten thousand	0.04	0.14	0.25	0.22	0.10
people	0.04	0.14	0.55	0.33	0.19
Amount of possessed public service activities facilities per ten	0.05	0.20	0.21	0.22	0.27
thousand people	0.05	0.20	0.21	0.32	0.27
Public sports site area ratio per ten thousand people	0.15	0.22	0.32	0.22	0.13
Public sections' regulation system perfection degree	0.13	0.22	0.32	0.22	0.16
Sports public section fiscal management degree	0.14	0.29	0.31	0.18	0.13
Sports public service morality and professional levels	0.11	0.21	0.22	0.30	0.21
Public fitness and health monitoring popularizing rate	0.12	0.18	0.22	0.23	0.25
Public fitness and health monitoring frequency ratio	0.14	0.18	0.20	0.23	0.24
Public fitness and health monitoring times rate	0.12	0.20	0.30	0.18	0.15
Public large-scale sports competitions watching ratio	0.13	0.24	0.34	0.20	0.04
Public residents amateur sports competitions organizing	0.15	0.20	0.29	0.19	0.17
frequency ratio	0.15	0.20	0.28	0.18	0.17
Public sports activities participating frequency ratio	0.08	0.17	0.25	0.21	0.25
Community sports instructors satisfaction degree on working	0.00	0.19	0.24	0.20	0.24
income	0.09	0.18	0.24	0.20	0.24
Community site facilities satisfaction degree	0.13	0.25	0.31	0.21	0.13
Community administrative staff ability satisfaction degree	0.18	0.24	0.34	0.26	0.17
Community satisfaction degree on service price	0.17	0.24	0.35	0.15	0.07
Public physical health pass percentage ratio	0.18	0.27	0.32	0.16	0.08
Public sports population size annual growth rate ratio	0.21	0.28	0.30	0.15	0.04
Public health care knowledge information awareness rate ratio	0.12	0.20	0.31	0.22	0.14

MODELAPPLICATIONS

Due to above process involves more factors, the paper selects one of them (public sports documents and policies indicator) to do research, and its compre-

hensive evaluation result is:

```
k^{n} = H^{n} \cdot k^{n} j = (k^{1}1, k^{1}2, k^{1}3, k^{1}4, k^{1}5, k^{1}6) \cdot (k^{n} j1, k^{n} j2, k^{n} j3, k^{n} j4, k^{n} j5)^{26}
\begin{vmatrix} 0.18 & 0.05 & 0.21 & 0.07 & 0.34 \\ 0.14 & 0.06 & 0.18 & 0.26 & 0.29 \end{vmatrix}
```

 $= (0.247, 0.114, 0.651, 0.45, 0.154) * \begin{vmatrix} 0.14 & 0.06 & 0.18 & 0.26 & 0.29 \\ 0.06 & 0.18 & 0.28 & 0.24 & 0.21 \\ 0.07 & 0.16 & 0.14 & 0.14 & 0.34 \\ 0.18 & 0.15 & 0.14 & 0.17 & 0.34 \end{vmatrix}$ = (0.13, 0.28, 0.27, 0.15, 0.14)

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After normalization processing,

 $k^{1} = (0.146, 0.259, 0.264, 0.232, 0.149),$ Similarly it can get $k^{2} = (0.152, 0.203, 0.264, 0.185, 0.159)$ $k^{3} = (0.120, 0.165, 0.234, 0.268, 0.231)$ $k^{4} = (0.108, 0.186, 0.197, 0.224, 0.254)$ $k^{5} = (0.114, 0.231, 0.325, 0.184, 0.139)$ $k^{6} = (0.136, 0.182, 0.246, 0.192, 0.261)$ $k^{7} = (0.165, 0.247, 0.316, 0.162, 0.106)$

 $k^{8} = (0.189, 0.269, 0.312, 0.154, 0.117)$

So second grade comprehensive evaluation result



=(0.056, 0.118, 0.037, 0.126, 0.008, 0.041, 0.008, 0.184)

	0.201	0.155	0.128	0.247	0.245
	0.186	0.167	0.149	0.263	0.278
	0.236	0.115	0.241	0.198	0.244
*	0.148	0.118	0.263	0.196	0.260
, .	0.165	0.126	0.156	0.245	0.351
	0.143	0.131	0.243	0.273	0.234
	0.116	0.179	0.017	0.255	0.312
	0.154	0.189	0.105	0.198	0.229

=(0.196, 0.268, 0.225, 0.173, 0.160)

Make normalization processing and get:

k = (0.167, 0.245, 0.241, 0.217, 0.133)

So according to above comprehensive evaluation model, it has:

$$F = (0.167, 0.245, 0.241, 0.217, 0.133) \cdot \begin{vmatrix} 5 \\ 4 \\ 3 \\ 2 \\ 1 \end{vmatrix}$$

= 0.167 * 5 + 0.245 * 4 + 0.241 * 3 + 0.217 * 2 + 0.133 * 1
= 3.105

By above calculation result and according to scores criterion, it can get public to government public sports service quality belongs to basically satisfied evaluation.

CONCLUSIONS

By analyzing and deep researching on public sports service contents, apply multilayer fuzzy comprehensive evaluation model to make evaluation, finally it gets satisfied answers for paper listed public facilities' service aspect, which proves public infrastructure aspect still has some shortcomings, so government still need to improve public sports service and should increase government functions so that let public sports service quality arrive at higher level.

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REFERENCES

- Liu Bao, Hu Shan-Lian, Xu Hai-Xia, Gao Jian-Hui; Indices of the equality of essential public health services in China. Chinese Journal of Health Policy, 2(6), 13-17 (2009).
- [2] Zhang Da-Chao, Li Min; Studies on Evaluation Index System of Public Sports Facilities Development Level in China. China Sport Science, 33(4), 3-23 (2013).
- [3] Cai Jing-Tai, Fan Bing-You, Wang Ji-Shuai; A Survey of Residents' Satisfaction Degree for Urban Public Sport Services. Journal of Beijing Sport University, 6, (2009).
- [4] Wang Guo-Hong, Zhang Wen-Hui; Construction of the Evaluation Index System of City Community Sports——Taking Shanghai as an Example. Journal of Chengdu Physical Education Institute, 36(2), (2010).
- [5] Zhang Jie, Wu Ying; The Evaluation Index System of Extracurricular Sports Activities in Secondary Schools in Shanghai under the Background of "Sunshine Sports". Journal of Shanghai Physical Education Institute, **6**, 80-82 (**2012**).

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- [6] He Ying, Xu Ming; Study on Evaluating System of Sports Consciousness of Community Residents in Southwest Cities. Journal of Chengdu Physical Education Institute, **33(2)**, 43-45 (**2007**).
- [7] He Ying, Xu Ming; Theoretical and empirical study on evaluation mode of sports service satisfaction degree in city community. Journal of Wuhan Institute of Physical Education, 41(11), 40-42 (2007).
- [8] Chen Yang, Ma Ge-Sheng; An Empirical Study on Community Sports Service Residents' Satisfaction Index Model. China Sport Science and Technology, 45(4), (2009).
- [9] He Ying, Xu Ming; Theoretical and empirical study on evaluation mode of sports service satisfaction degree in city community. Journal of Wuhan Institute of Physical Education, **41**(**11**), 40-42 (**2007**).

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