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Matlab simulation-based football shooting most valid region probability statistics

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ABSTRACT

The paper researches on football game football goal dangerous regions, utilizes known football knowledge, it establishes football goal dangerous regions one dimension normal and two dimensional normal distribution model, and uses MATLAB software to solve and simulate established model. Calculate goal different positions' threat level, and draws most dangerous region. Firstly, in case no goalkeepers here let same player shoot in different regions of field, and research field's different points' threat level to goal. By statistical researching, shooting success points in the whole football field is in normal distribution, and finally uses MATLAB to simulate. Secondly, in case it has goalkeeper, research same player shooting probabilities in different points of field and goalkeeper success save odds, finally use Matlab to simulate. By calculation, it proves when player quality strengthened, threaten to goal is obvious increasing, and dangerous region expands. © 2014 Trade Science Inc. - INDIA

KEYWORDS

Normal distribution;
Probability statistics;
Football shooting;
Dangerous region;
Mathematical model.

INTRODUCTION

Due to Chinese football development level is relative backward, researches and analyzes shooting best region, attack cooperation structure and technical and tactics ways have very important significances. Our country football experts use researches and comparative analyses to analyze football shooting technical ways and goal, shooting region and assisting region status. They thought domestic football players in shooting process such attack key linkage; they have obvious gap and shortcomings by comparing with world power team athletes, if no improvements are made, and it will restrict Chinese football attacking levels improvement. The final purpose of football competition is goal and inter-

fering goal. In 2003, Yuan Ye researched different offensive tactics ways impacts on high level football competition shooting and goal^[1]. Zou Qiu-Hua, Hu Hong-Quan made statistical analysis of the 17th world cup football game shooting goal statistical analysis, they revealed high level football game goal rules and features, and made clear current technical and tactics development trend, tides and orientations, discussed shooting effects improving methods and ways^[2]. In 2009, Yu Ji-Cheng, Xiao Jin-Yong researched on world cup football game goal space features, by statistical analyzing the 14th to 17th world cup football games whole goals, explored and found that football goal time and space basic features and rules, as well as made actual combat applied suggestions^[3].

The paper focuses on modeling simulation from two aspects. (1) For player different positions shooting threat level to goal, it makes analysis and gets dangerous region; (2) In case there is a goalkeeper to defense, makes further research on player threat level on goal and dangerous region.

MODEL ANALYSES

To define goal dangerous regions, which is also to define player shooting's easiest goal region. No matter from which point player shoots in the field, there are two possibilities, goal or not, it is a random event, from which some places have biggest possibility to goal that are dangerous regions. Lots of factors will impact on player shooting percentage, most important one point of them is player's basic quality (technical level) and goal site. To every player basic quality, it is impossible to change in a short time, therefore we mainly under some circumstances, make research on how to select most dangerous shooting region. That is to say, we mainly targeted same quality players shoot in any point of field such moment, research his threat level to goal.

When a player locates in one site before goal and shoots to some places in front of goal, player basic quality and the ball arriving at target point distance decide target shot probability. In fact, when the two factors are defined, ball's drop point in goal will show certain probability distribution. By analysis, it is clear that the distribution should be a two-dimensional normal distribution, it is the key point.

When player in the field shoots, the player should define a target point in some place of goal, ball will drop in one point of goal with certain probability distribution. We regard goal as a plane region, solve the distribution's distribution function with the region, and then it can get ball shooting goal's probability. However, shooting target point is randomly selected by players, target point selection have strong dependency on goal probability. In this way, we see through all points in target region, make integral on shooting probability, the paper will define it as field one point threat level to goal, and we use it to define goal dangerous region.

MODEL ESTABLISHMENT IN CASE NO

GOALKEEPER

Firstly establish as Figure 1 showed space rectangular coordinate system, that is takes goal bottom midpoint as origin O , ground as xOy plane, goal located plane π as yOz plane.

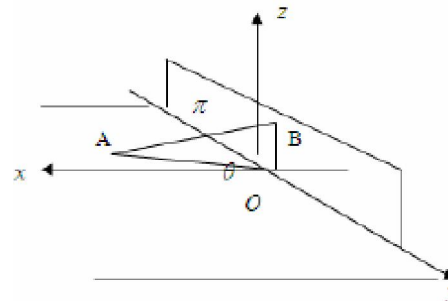


Figure 1 : Goal schematic diagram

According to above analysis, here assume that when basic quality as k player shoots from $A(x_0, y_0)$ point to distance as d goal target point $B(y_1, z_1)$, ball in target plane π drop point shows two-dimensional normal distribution, and random variable y, z are mutual independent from each other. Its probability density function is:

$$f(y, z) = \frac{1}{2\pi\sigma^2} \exp\left\{-\frac{(y - y_1)^2 + (z - z_1)^2}{2\sigma^2}\right\},$$

$$(y, z) \in \Omega \tag{1}$$

Among them, variance σ and player quality k are in inverse proportion, while it is in direct proportion with shooting point $A(x_0, y_0)$ and target point $B(y_1, z_1)$ distance d , and deflection angle θ gets bigger, the variance σ will get smaller. When $\theta = \frac{\pi}{2}$ (that directly face to goal center), σ is only related to k, d . Therefore, we can define σ expression as:

$$\sigma = \frac{d}{k} (\cot \theta + 1)$$

Among them: $\cot \theta = \frac{|y_1 - y_0|}{x_0}$,

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$$d = \sqrt{x_0^2 + (y_1 - y_0)^2 + z_1^2} .$$

It notes that in formula (1) density function, relative variable y, z are symmetric, but actually ball only drop on the ground that it only has $z \geq 0$. In order to balance the density function, we let:

$$p_D(x_0, y_0; y_1, z_1) = \iint_D f(y, z) dy dz$$

$$p_\Omega(x_0, y_0; y_1, z_1) = \iint_\Omega f(y, z) dy dz$$

Then take the two ratios as the shooting goal probability:

$$p(x_0, y_0; y_1, z_1) = \frac{p_D(x_0, y_0; y_1, z_1)}{p_\Omega(x_0, y_0; y_1, z_1)} \tag{2}$$

Make integral on goal probability (2) in goal region D , define it to be field one point $A(x_0, y_0)$ threat level to goal, that:

$$D(x_0, y_0) = \iint_D p(x_0, y_0; y_1, z_1) dy_1 dz_1$$

Based on above analysis, to field any point $A(x, y)$, its threat level to goal is :

$$D(x, y) = \iint_D p(x, y; y_1, z_1) dy_1 dz_1$$

Among them:

$$p(x, y; y_1, z_1) = \frac{p_D(x, y; y_1, z_1)}{p_\Omega(x, y; y_1, z_1)}$$

$$d = \sqrt{x^2 + (y_1 - y)^2 + z_1^2}$$

$$\cot \theta = \frac{|y_1 - y|}{x}$$

To solve the problem, it is generally quite difficult; only adopt numerical integral method to solve. Firstly define player basic quality representative parameter k , concrete method is as following

According to general professional players status, we thought that a player makes power shot to goal target point from ten meters distance ($d = 10$) from goal in the goal front ($\theta = \frac{\pi}{2}$), standard deviation should be

within one meters that takes $\sigma = 1$, by $\sigma = \frac{d}{k}(\cot \theta + 1)$, it can get $k = 10$. So, when player basic quality $k = 10$, solve the model and can get field any point to goal threat level, partial special points result can refer to following TABLE 1. According to each point threat level value, it can make field equivalent threat level curve.

MODEL ESTABLISHMENTS AND MATLAB SIMULATION IN CASE IT HAS A GOAL-KEEPER

Assume goalkeeper stands in the angular bisector between shooting point and two goal bars that goalkeeper standing position in goal vertical plane projection region central is the best defense position. Player starts shooting in field one point to goal any point $(y, z) \in D$, it arrives at goal plane after time t , when ball arrives at the point, goalkeeper will have a capture probability $p_0(t, y, z)$ to ball, in the following analyze the function $p_0(t, y, z)$ form.

At first, it should note that when t is certain, $p_0(t, y, z)$ should be a degenerative two-dimensional

TABLE 1 : Field some points' threat levels to goal

Position	(0, 1)	(0, 5)	(0, 10)	(0, 20)	(0, 30)	(0, 50)	(3, 1)	(3, 5)	(3, 10)	(3, 20)
With defense	14.46	14.54	12.69	8.64	5.71	2.81	11.56	13.48	11.76	7.95
Without defense	12.94	12.01	8.97	4.80	2.76	1.10	10.07	10.93	8.38	4.57
Position	(3, 50)	(5, 1)	(5, 5)	(5, 10)	(5, 20)	(5, 30)	(5, 50)	(10, 1)	(10, 5)	(10, 10)
With defense	2.67	6.30	11.41	10.36	7.16	4.87	2.51	0.89	5.33	6.47
Without defense	1.08	5.90	8.95	7.23	4.12	2.45	1.01	0.82	3.92	4.31
Position	(10, 30)	(10, 50)	(20, 1)	(20, 5)	(20, 10)	(20, 20)	(20, 30)	(20, 50)	(3, 30)	(10, 20)
With defense	3.82	2.12	0.06	0.88	1.85	2.43	2.19	1.48	5.32	5.24
Without defense	1.93	0.86	0.04	0.59	1.16	1.34	1.08	0.59	2.66	3.01

function that radiates around with goalkeeper as center, as Figure 2 and Figure 3:

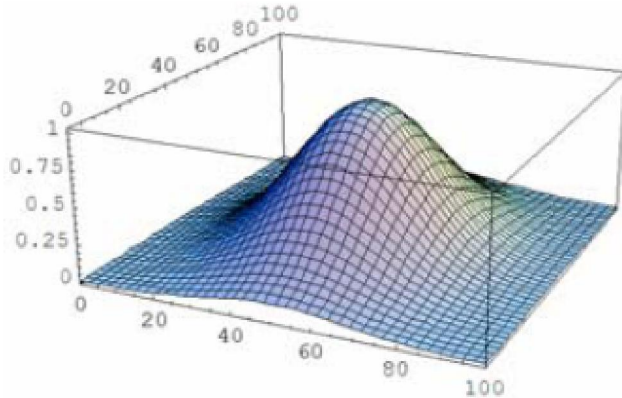


Figure 2 : Capture probability curved surface simulation figure in case t is certain

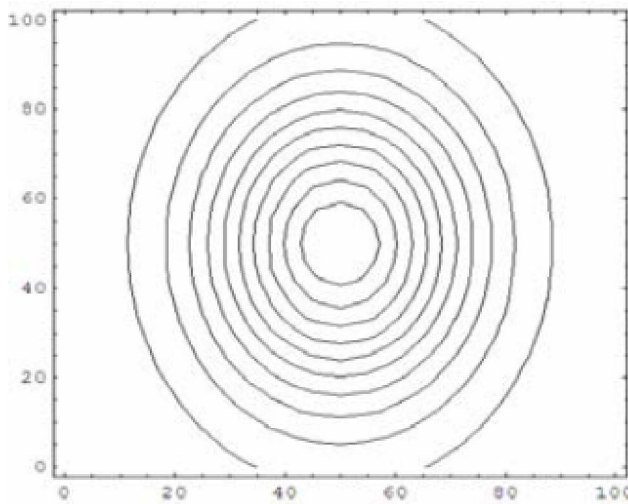


Figure 3 : Capture probability contour line simulation figure in case t is certain

When t gets smaller, curved surface peak should increase, and area reduces, as Figure 4 and Figure 5:

From Figure 4, we can see that the curved surface situation is similar to two-dimensional normal distribution density function images, so we can use two-dimensional normal distribution probability density to describe the change trend. Parameter t represents time from ball shooting to goal arriving, which is also reaction time for goalkeeper, the time gets longer, curved surface will become more smooth, based on above, we get :

$$p_0(t, y, z) = \exp\left\{-\frac{(y-a)^2 + (z-1.25)^2}{ct}\right\}$$

Among them c is goalkeeper reaction coefficient,

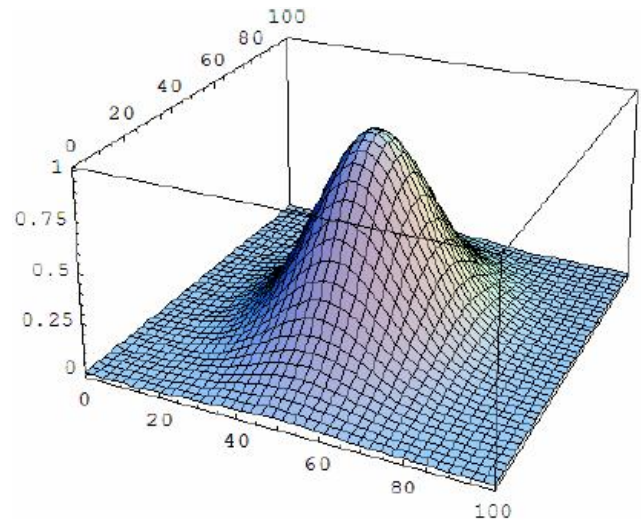


Figure 4 : Capture probability curved surface simulation figure in case t gets smaller

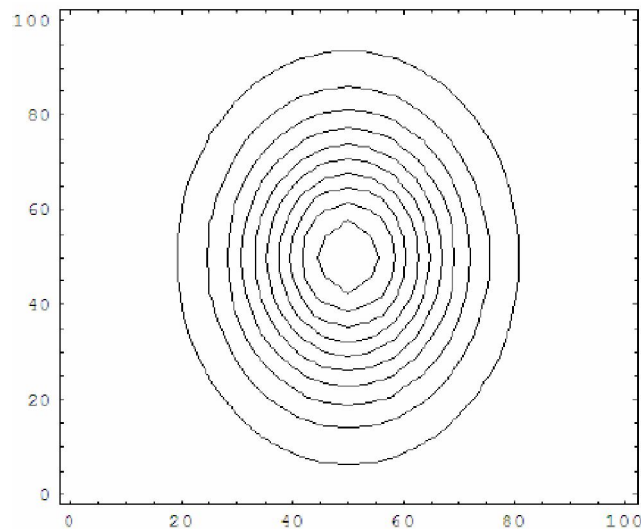


Figure 5 : Capture probability contour line simulation figure in case t gets smaller

according to expert prediction, common people reaction time is nearly 0.12~0.15 seconds. According to Figure 6, we establish equations as following :

$$\frac{CA}{AD} = \frac{CE}{ED} \Rightarrow \frac{CA}{AD+CA} = \frac{CE}{ED+CE}$$

$$b = CE - OC \Rightarrow \frac{CA(ED+CE)}{AD+CA} - OC$$

According to famous “strip test”, it can get common people reaction time is nearly $\sqrt{2}/10$ seconds (that is proposing to put a strip between two fingers of people, when strip free falls under gravity effects, by $s = 0.5gt^2$, it can calculate people reaction time). Therefore, here can take $c=1/7$ (experimental value),

